

- COMPUTE-PREFIX-FUNCTION (P)
1. m length [P] // 'p' pattern to be matched
 2. [1] 0
 3. k 0
 4. for q 2 to m
 5. do while k > 0 and P[k+1] = P[q]
 6. do k [k]
 7. If P[k+1] = P[q]
 8. then k k + 1
 9. [q] k

String matching with Finite automata-

complexity $\Rightarrow O(n)$

P $\Rightarrow$ a b a b a c a

Text $\Rightarrow$ a b a b a b a c a b a

Step 1 - make FA for Pattern string

No. of char $\Rightarrow 7 \Rightarrow 7$ state
0 to 7

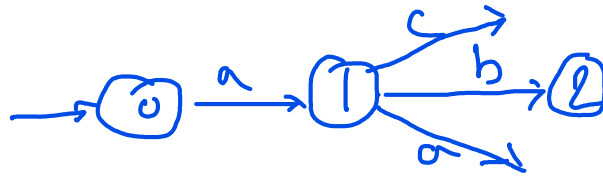


$\Sigma = \{a, b, c\}$

check all these
char with pattern
char if matched
change the state

and also apply
prefix &
suffix Rule

at state ① check all char a, b, c

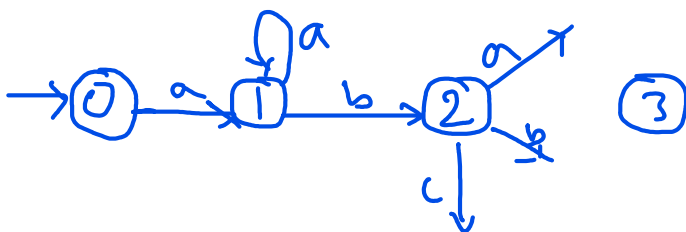


possible string.

$\underbrace{a}_{\text{prefix}} \underbrace{a}_{\text{suffix}}$, $\underbrace{a}_{\text{prefix}} \underbrace{b}_{\text{suffix}}$, $\underbrace{a}_{\text{prefix}} \underbrace{c}_{\text{suffix}}$
 All not matched

↓
 matched with 1st pattern char
 So make self loop at a
 matched with 2nd char so
 change the state at b

at state ②



$\underline{a} \quad b \quad \underline{a}$, $a \quad b \quad b$, $a \quad b \quad c$
 ↓

Prefix a, ab, aba
 Suffix a, ba, aba

a, ab, abb
 b, bb, abb

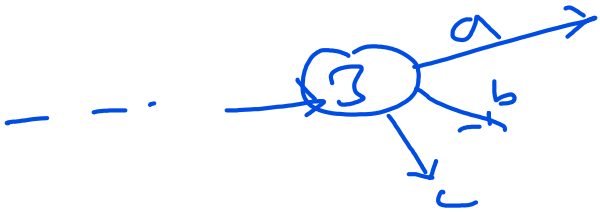
a, ab, abc
 c, bc, abc

Longest matched prefix & suffix with pattern string is aba , this is at char a so change the state at a

So it become



at state ③



Strings are

$a \ b \ a \ \underline{a}$, $\underline{a \ b \ a \ b}$, $\underline{a} \ b \ a \ \underline{c} = X$
 not match

matched pattern string -

$abaa$
 $\underline{ab} \quad \underline{aa}$
 $\underline{abaa}$

1 char matched $\in 50$

